

Electronic supplementary material

Applied Microbiology and Biotechnology

Production of a newly discovered PHA family member with an isobutyrate-fed enrichment culture

Chris M. Vermeer^{a}, Larissa J. Bons^b, Robbert Kleerebezem^c*

^a PhD Candidate, Department of Biotechnology, Delft University of Technology, Van der Maasweg 9, 2629 HZ Delft, The Netherlands

^b MSc student, Department of Biotechnology, Delft University of Technology, Van der Maasweg 9, 2629 HZ Delft, The Netherlands

^c Associate professor, Department of Biotechnology, Delft University of Technology, Van der Maasweg 9, 2629 HZ Delft, The Netherlands

*Corresponding author – email address: c.m.vermeer@tudelft.nl, telephone number: +31629174811, fax number: not applicable

Table S1 Metabolic reactions. The metabolic reactions proposed for the isobutyrate and butyrate model are on a carbon-mole base (per Cmol), adapted from Marang et al., 2013. The origin and derivation of the stoichiometric reactions can be found in *Van Aalst-Van Leeuwen et al. (1997)*. Later the model was optimized by Johnson et al. (2009), and adapted towards butyrate by Marang et al. (2013). The efficiency of the oxidative phosphorylation (δ) was assumed to be 2.0 for all experiments. But-CoA = Butyryl-CoA, IBut-CoA = Isobutyryl-CoA, Ac-CoA = Acetyl-CoA.

	Reaction	Stoichiometry
1.	Butyrate uptake	$1 \text{ Cmol But} + 0.75 \text{ mol ATP} \rightarrow 1 \text{ Cmol But-CoA}$
2.	Isobutyrate uptake	$1 \text{ Cmol IBut} + 0.75 \text{ mol ATP} \rightarrow 1 \text{ Cmol IBut-CoA}$
3.	Isomerase of IBut-CoA to But-CoA	$1 \text{ Cmol IBut-CoA} \rightarrow 1 \text{ Cmol But-CoA}$
4.	PHB production	$1 \text{ Cmol But-CoA} \rightarrow 1 \text{ Cmol PHB} + 0.25 \text{ mol NADH}_2$
5.	PHiB production	$1 \text{ Cmol IBut-CoA} \rightarrow 1 \text{ Cmol PHiB} + 0.25 \text{ mol NADH}_2$
6.	But-CoA to Ac-CoA	$1 \text{ Cmol But-CoA} \rightarrow 1 \text{ Cmol Ac-CoA} + 0.5 \text{ mol NADH}_2$
7.	PHB consumption	$1 \text{ Cmol PHB} + 0.25 \text{ mol ATP} \rightarrow 1 \text{ Cmol Ac-CoA} + 0.25 \text{ mol NADH}_2$
8.	PHiB consumption	$1 \text{ Cmol PHiB} + 0.25 \text{ mol ATP} + 0.25 \text{ mol NADH}_2 \rightarrow 1 \text{ Cmol IBut-CoA}$
9.	Growth on Ac-CoA	$1.267 \text{ Cmol Ac-CoA} + 0.2 \text{ mol NH}_3 + 2.16 \text{ mol ATP} \rightarrow 1 \text{ Cmol CH}_{1.8}\text{O}_{0.5}\text{N}_{0.2} + 0.267 \text{ mol CO}_2 + 0.434 \text{ mol NADH}_2$
10.	Catabolism	$1 \text{ Cmol Ac-CoA} \rightarrow 1 \text{ mol CO}_2 + 2 \text{ mol NADH}_2$
11.	Oxidative phosphorylation	$1 \text{ Cmol NADH}_2 + 0.5 \text{ mol O}_2 \rightarrow \delta \text{ mol ATP}$

Table S2 Overview of stoichiometric yields. In the feast phase, growth, PH(i)B production and maintenance reactions take place, which are driven by substrate consumption. In the famine phase, only growth and maintenance reactions take place, which are driven by PH(i)B consumption. The yields are derived from the metabolic reactions (**Table S1**) and balances for the conserved moieties (NADH, ATP, AcCoA, But-CoA, Ibut-CoA). The method for this derivation is described in detail by Van Aalst-Van Leeuwen et al. (1997). The yields are expressed as a function of the efficiency of the oxidative phosphorylation (P/O ratio, symbol δ). All yields are on carbon-mole base (Cmol/Cmol).

Feast phase (Butyrate/Isobutyrate)			
Growth	$Y_{CO_2, X}^{feast, max} = -\frac{40\delta - 291}{250\delta - 75}$ $Y_{N(Ac), X}^{feast, max} = -0.2$	$Y_{O_2, X}^{feast, max} = -\frac{279}{200\delta - 60}$	$Y_{X, S}^{feast, max} = -\frac{250\delta - 75}{210\delta + 216}$
PH(i)B production	$Y_{CO_2, PH(i)B}^{feast, max} = -\frac{\delta - 3}{10\delta - 3}$	$Y_{O_2, PH(i)B}^{feast, max} = -\frac{27}{80\delta - 24}$	$Y_{PH(i)B, S}^{feast, max} = -\frac{10\delta - 3}{9\delta}$
Maintenance	$Y_{CO_2, Ac}^{feast, max} = -1$	$Y_{O_2, Ac}^{feast, max} = 1.25$	$Y_{ATP, S}^{feast, max} = 0.75 - 2.5\delta$
Famine phase (PHB/PHiB)			
Growth	$Y_{CO_2, X}^{famine, max} = -\frac{15\delta - 241}{225\delta - 25}$ $Y_{N, X}^{famine, max} = -0.2$	$Y_{O_2, X}^{famine, max} = -\frac{1077}{900\delta - 100}$	$Y_{X, PH(i)B}^{famine, max} = -\frac{225\delta - 25}{210\delta + 216}$
Maintenance	$Y_{CO_2, PH(i)B}^{famine, max} = -1$	$Y_{O_2, PH(i)B}^{famine, max} = 1.125$	$Y_{ATP, PH(i)B}^{famine, max} = 0.25 - 2.25\delta$

Table S3 Model Kinetics. The kinetic expressions that describe the evolution of most essential compounds in the system. During the feast phase there are six compounds (PHA, substrate, biomass, CO₂, O₂, NH₃). During the famine there is no substrate, so only 5 compounds remain (PHA, substrate, biomass, CO₂, O₂, NH₃). The derivation of the expressions originated in the work of Van Aalst-Van Leeuwen et al. (1997) and Johnson et al. (2009).

Feast phase

$$q_{PHA,1}^{feast}(t) = \left(q_S(t) - \mu^{feast}(t) \cdot \frac{1}{Y_{X,S}^{feast}} - m_S \right) \cdot Y_{PHA,S}^{feast} \quad \text{if } q_{PHA,1}^{feast} \leq q_{PHA,2}^{feast} \quad \text{eq.1}$$

$$q_{PHA,2}^{feast}(t) = q_{PHA}^{max} \cdot \frac{C_S(t)}{K_S + C_S(t)} \cdot \left[1 - \left(\frac{f_{PHA,X}(t)}{f_{PHA,X}^{max}} \right)^\alpha \right] \quad \text{if } q_{PHA,1}^{feast} \geq q_{PHA,2}^{feast} \quad \text{eq.2}$$

$$q_{S,1}(t) = q_S^{max} \cdot \frac{C_S(t)}{K_S + C_S(t)} \quad \text{if } q_{PHA,1}^{feast} \leq q_{PHA,2}^{feast} \quad \text{eq.3}$$

$$q_{S,2}(t) = \mu^{feast}(t) \cdot \frac{1}{Y_{X,S}^{feast}} + q_{PHA}^{feast} \cdot \frac{1}{Y_{PHA,S}^{feast}} + m_S \quad \text{if } q_{PHA,1}^{feast} \geq q_{PHA,2}^{feast} \quad \text{eq.4}$$

$$\mu^{feast}(t) = \mu^{max} \cdot \frac{C_{NH_3}(t)}{K_{NH_3} + C_{NH_3}(t)} \cdot \frac{C_S(t)}{K_S + C_S(t)} \quad \text{eq.5}$$

$$m_S = \frac{m_{ATP}}{Y_{ATP,S}^{feast}} \quad \text{eq.6}$$

$$q_{CO_2}^{feast}(t) = \mu^{feast}(t) \cdot Y_{CO_2,X}^{feast} + q_{PHA}^{feast}(t) \cdot Y_{CO_2,PHA}^{feast} + m_S \cdot Y_{CO_2,S}^{feast} \quad \text{eq.7}$$

$$q_{O_2}^{feast}(t) = \mu^{feast}(t) \cdot Y_{O_2,X}^{feast} + q_{PHA}^{feast}(t) \cdot Y_{O_2,PHA}^{feast} + m_S \cdot Y_{O_2,S}^{feast} \quad \text{eq.8}$$

$$q_{NH_3}^{feast}(t) = \mu^{feast}(t) \cdot Y_{NH_3,X}^{feast} \quad \text{eq.9}$$

Famine phase

$$\mu^{famine}(t) = Y_{X,PHA}^{famine} \cdot (q_{PHA}^{famine}(t) - m_{PHA}) \quad \text{eq.10}$$

$$q_{PHA}^{famine}(t) = k \cdot \left(\frac{C_{X0}}{C_X(t)} \right)^{1/3} f_{PHA,X}(t)^{2/3} \quad \text{eq.11}$$

$$m_{PHA} = \frac{m_{ATP}}{Y_{ATP,PHA}^{famine}} \quad \text{eq.12}$$

$$q_{CO_2}^{famine}(t) = \mu^{famine}(t) \cdot Y_{CO_2,X}^{famine} + m_S \cdot Y_{CO_2,PHA}^{famine} \quad \text{eq.13}$$

$$q_{O_2}^{famine}(t) = \mu^{famine}(t) \cdot Y_{O_2,X}^{famine} + m_S \cdot Y_{O_2,PHA}^{famine} \quad \text{eq.14}$$

$$q_{NH_3}^{famine}(t) = \mu^{famine}(t) \cdot Y_{NH_3,X}^{famine} \quad \text{eq.15}$$

Overall

$$PHA \text{ wt}\% (t) = \frac{C_{PHA}(t) \cdot Mw_{PH(i)B}}{C_{PHA}(t) \cdot Mw_{PH(i)B} + (C_X(t) \cdot Mw_X / (1 - f_{ash}))} \cdot 100\% \quad \text{eq.16}$$

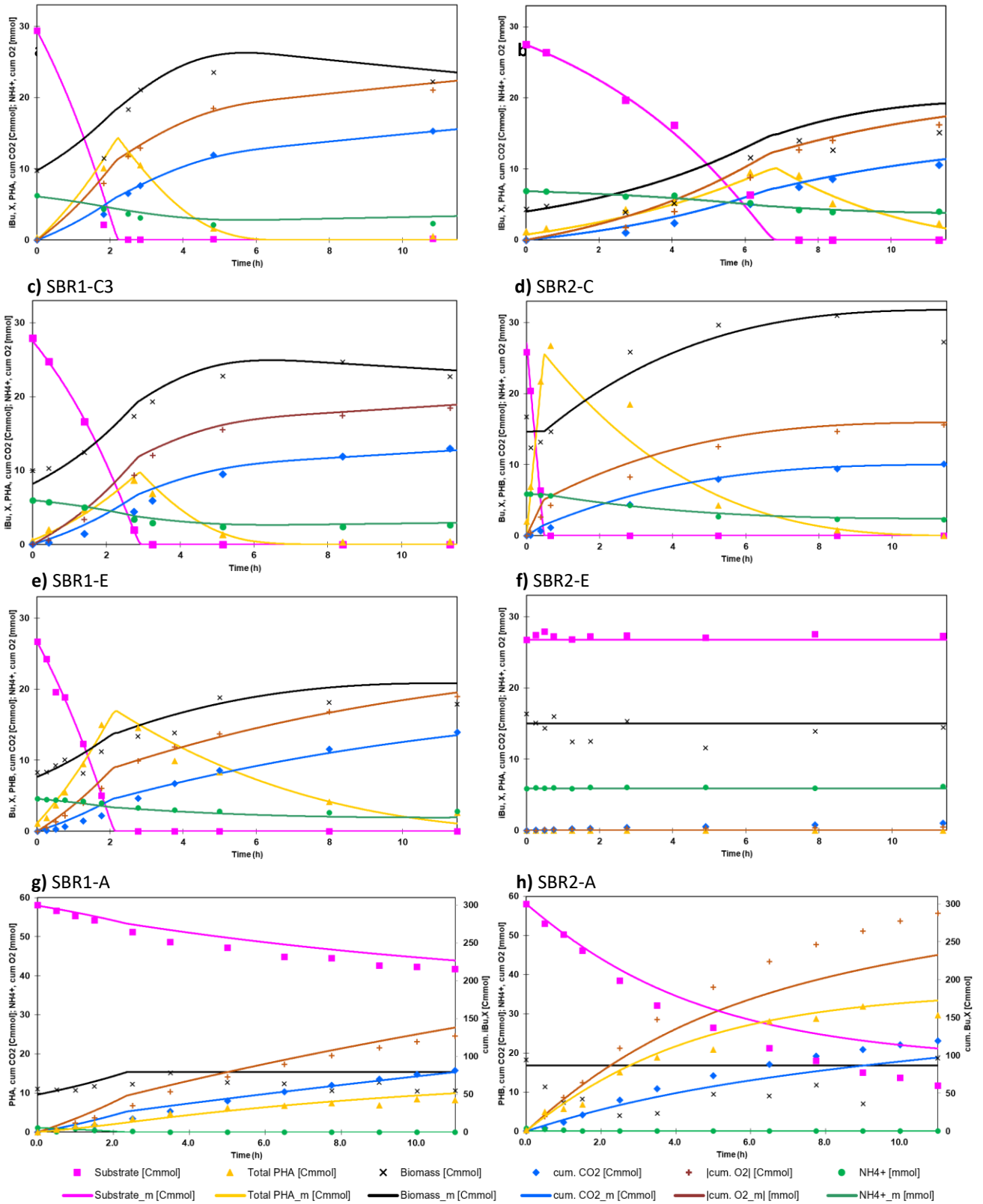


Fig. S1 Modelled and observed results of experiments of the cycle experiments (a-d), substrate exchange experiments (e-f), and accumulation experiments (g-h). The symbols represent the observed data. The solid lines represent the modelled data (indicated with ‘_m’ in legend), calculated with the kinetic expressions depicted in Table S3. In the SBR1 graphs (a, b, c, e, g) the substrate is isobutyrate, in the SBR2 graphs (d, f, h) the substrate is butyrate (indicated on axes). For both CO₂ and O₂ the cumulative values are shown. As O₂ is consumed, the absolute value of the cumulative values is depicted.

Table S4 Outcome of the carbon and electron balance analysis, additional model derived yields, and input parameters of the model. The carbon balances and the electron (degree of reduction) balances were set up for all 7 experiments as an indication of the accuracy of the measurements. Here, the flux of carbon and electrons into the system was subtracted from the flux out of the system. mATP represents the amount of ATP required per Cmol biomass per unit of time, and was fitted to the data for every individual experiment. The P/O ratio reflects the efficiency of the oxidative phosphorylation and was assumed to be 2 mol ATP/mol NADH for all experiments (Beun et al. 2000).

[illegible]