

Animal species identification in parchments by light

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Supplementary Material

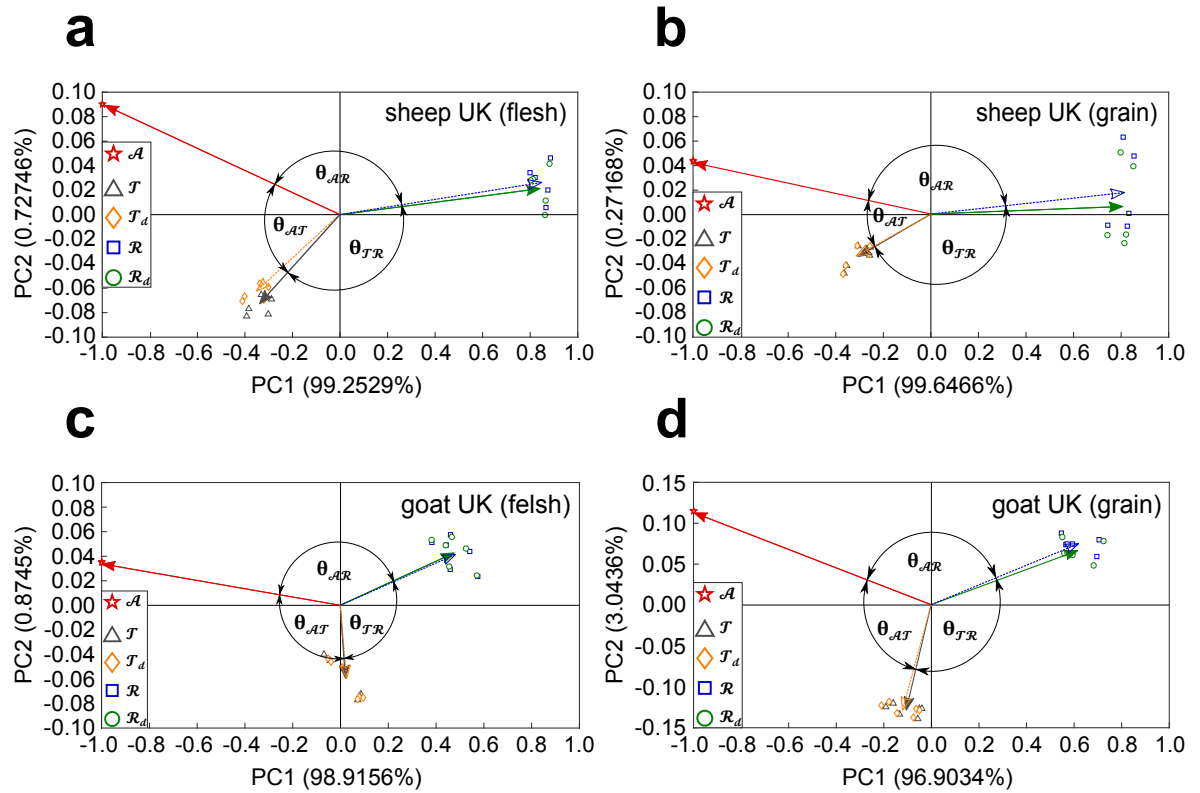


Fig. S1 | PCA data representation from A , T , T_d , R , R_d measurements on modern parchment samples. a-d, PCA representation of modern (Cowley, UK) parchment data: sheep (a,b) and goat (c,d). Flesh side (a,c) and grain side (b,d). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.

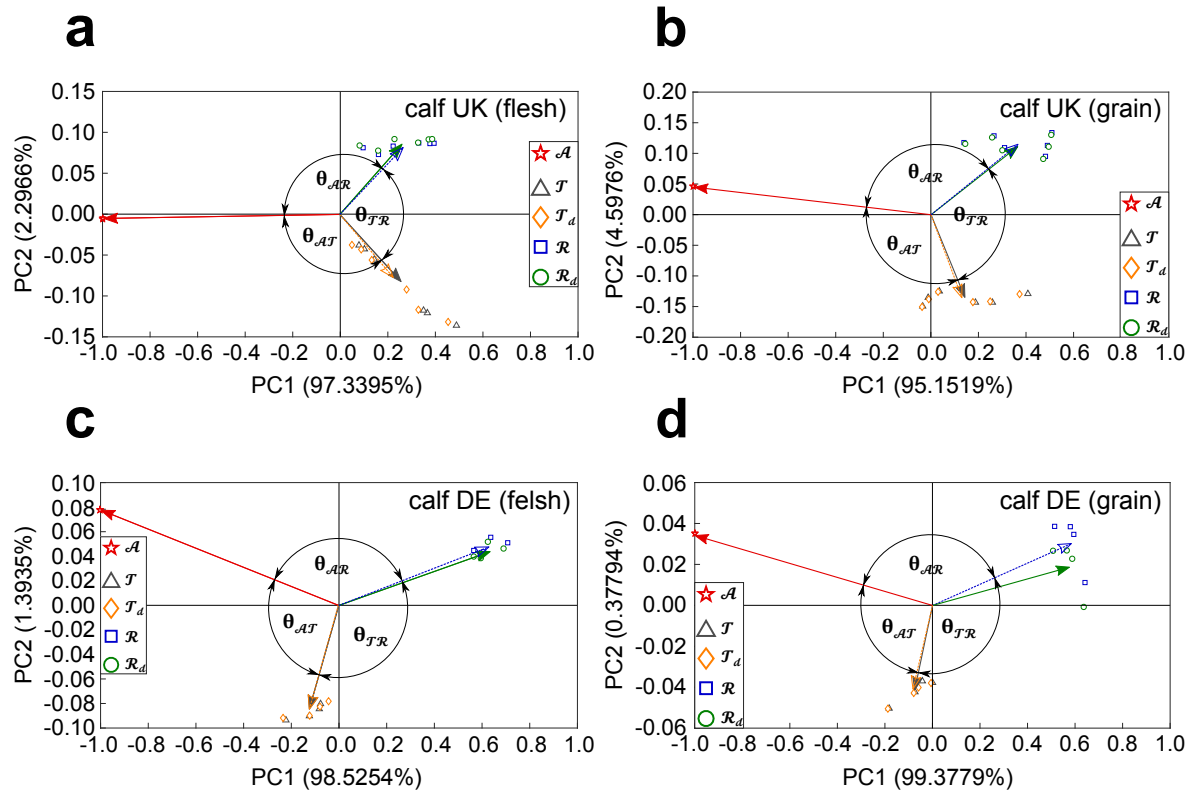


Fig. S2 | PCA data representation from A , T , T_d , R , R_d measurements on modern parchment samples. a-d, PCA representation of modern parchment data: calf form Cowley, UK (a,b) and calf from Schmedt, DE (c,d). Flesh side (a,c) and grain side (b,d). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.

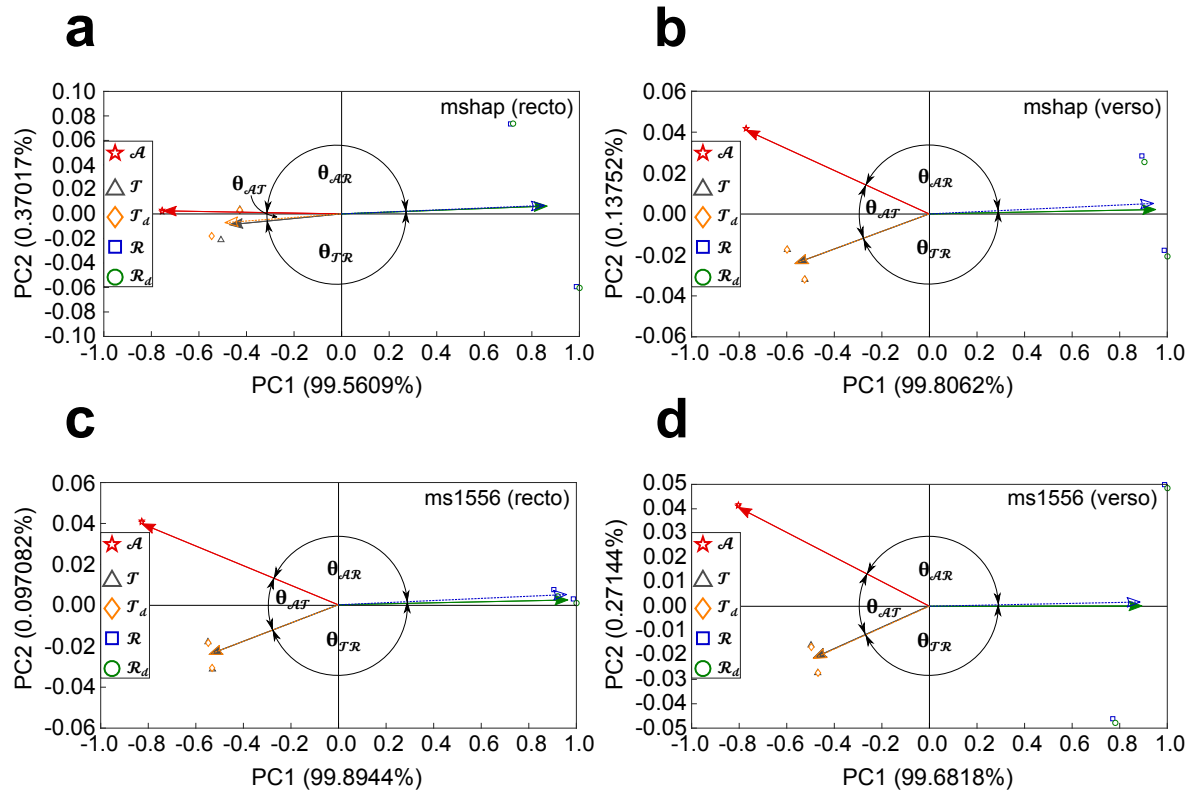


Fig. S3 | PCA data representation from $\mathcal{A}$, $\mathcal{T}$, $\mathcal{T}_d$, $\mathcal{R}$, $\mathcal{R}_d$ measurements on historical parchment samples. a-d, PCA representation of historical parchment data: mshap (a,b) and ms1556 (c,d). Recto (a,c) and verso (b,d). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.

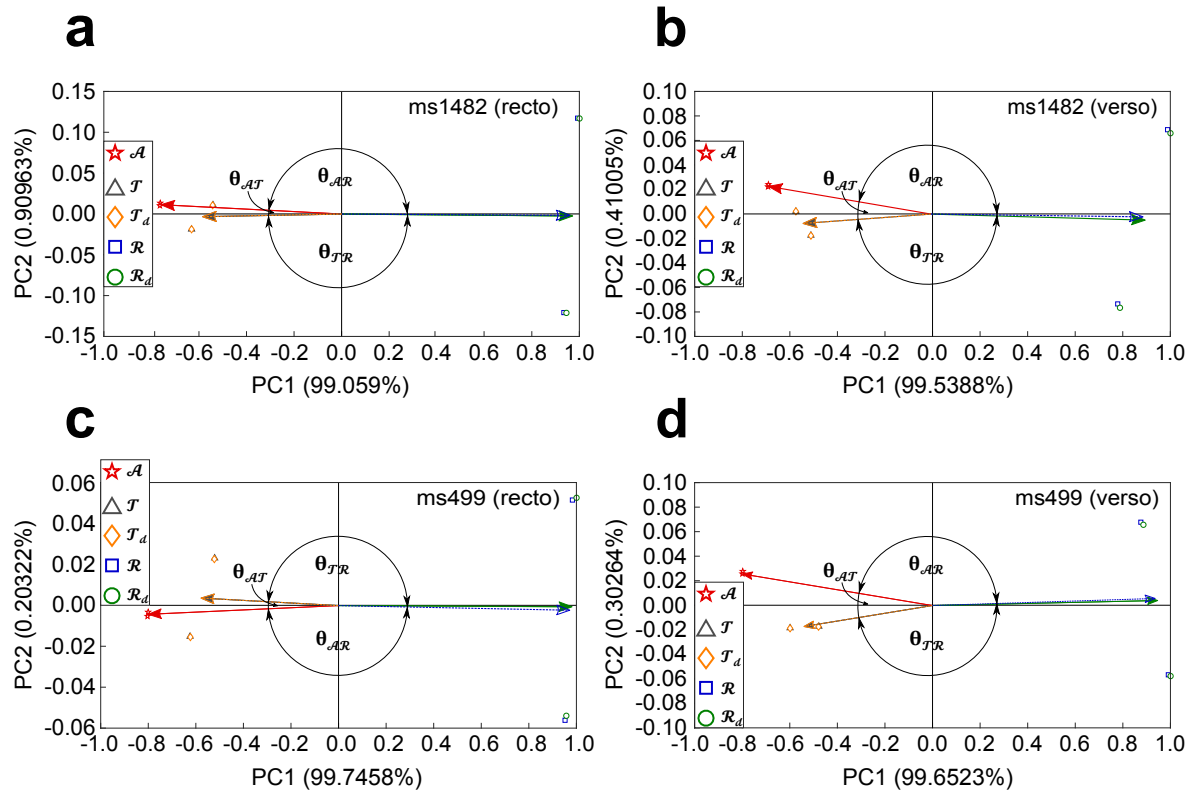


Fig. S4 | PCA data representation from $\mathcal{A}$, $\mathcal{T}$, $\mathcal{T}_d$, $\mathcal{R}$, $\mathcal{R}_d$ measurements on historical parchment samples. a-d, PCA representation of historical parchment data: ms1482 (a,b) and ms499 (c,d). Recto (a,c) and verso (b,d). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.

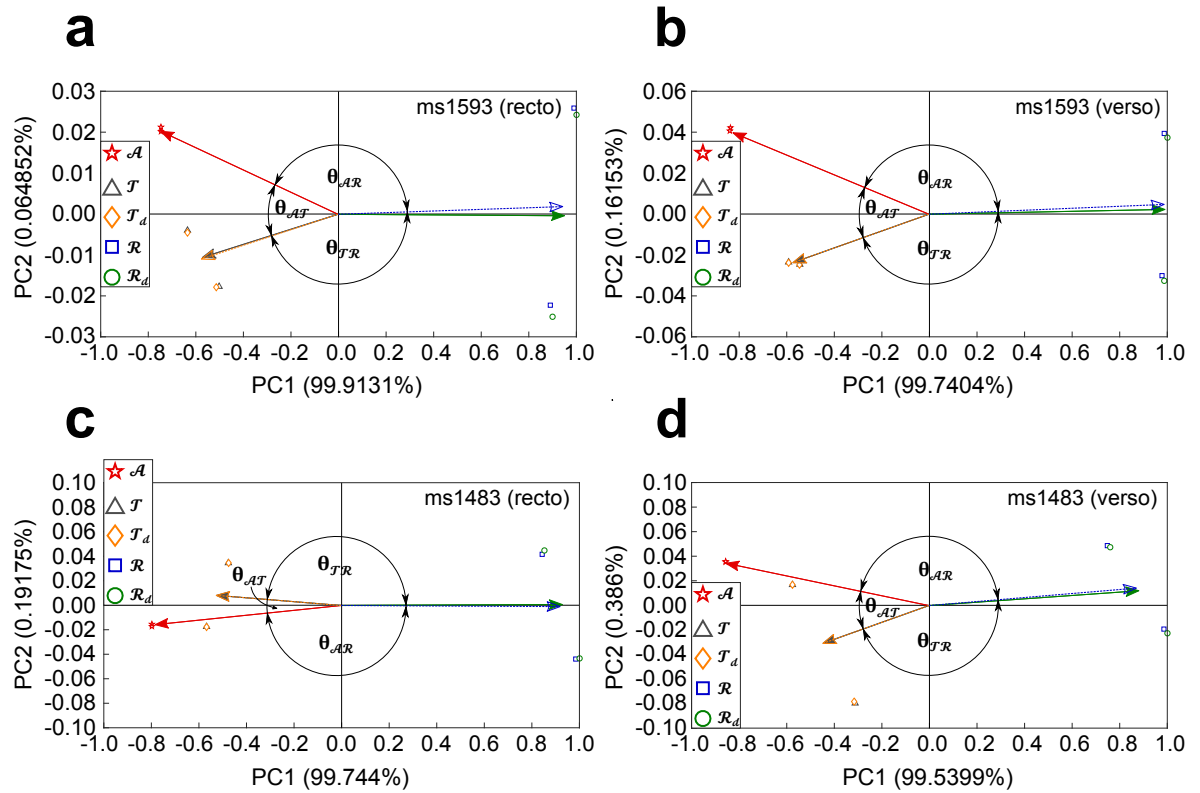


Fig. S5 | PCA data representation from A , T , T_d , R , R_d measurements on historical parchment samples. a-d, PCA representation of historical parchment data: ms1593 (a,b) and ms1483 (c,d). Recto (a,c) and verso (b,d). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.

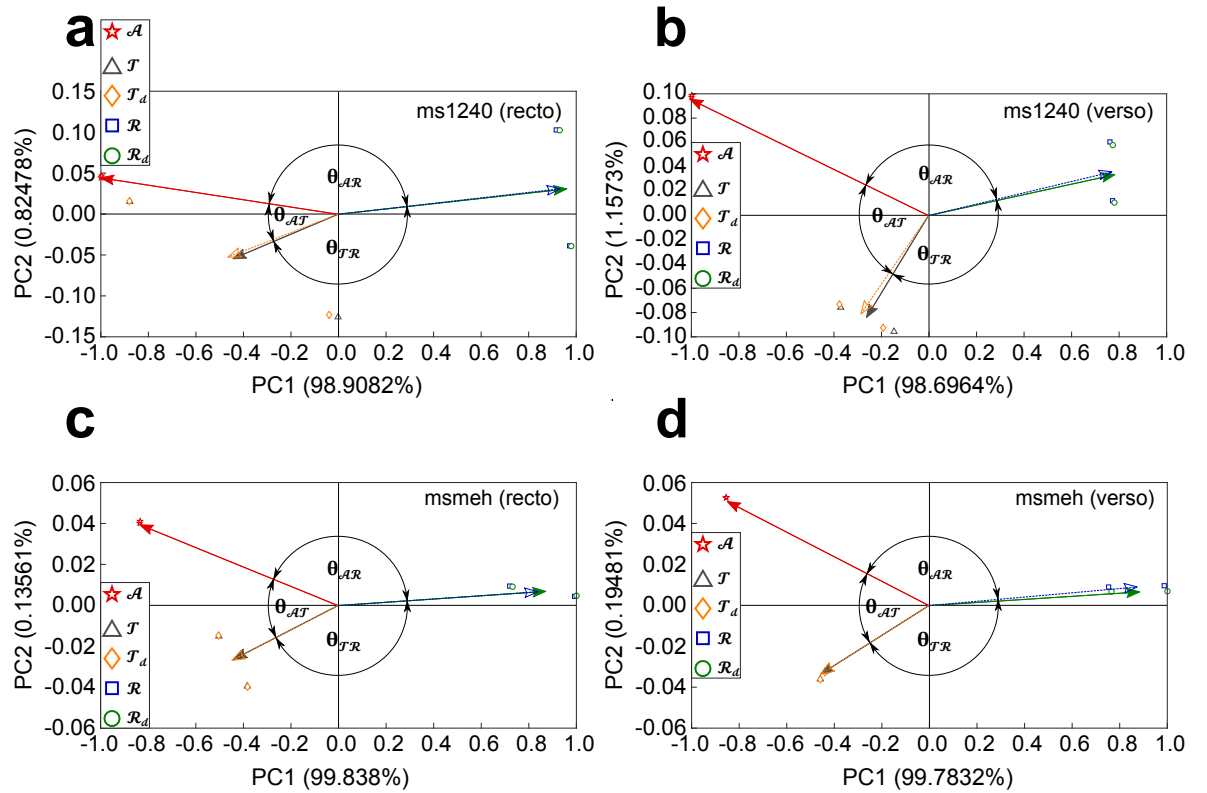


Fig. S6 | PCA data representation from A , T , T_d , R , R_d measurements on historical parchment samples. a-d, PCA representation of historical parchment data: ms1240 (a,b) and msmeih (c,d). Recto (a,c) and verso (b,d). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.

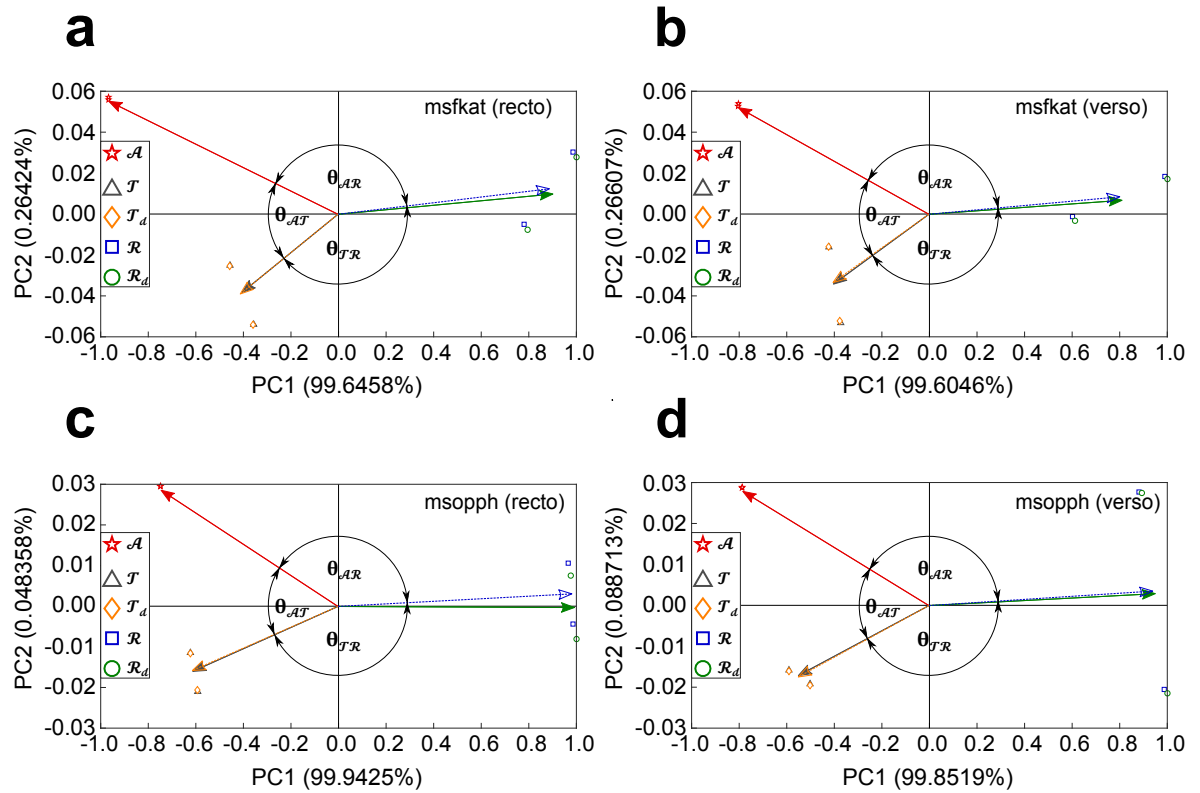


Fig. S7 | PCA data representation from A , T , T_d , R , R_d measurements on historical parchment samples. **a-d**, PCA representation of historical parchment data: msfkat (**a,b**) and msopph (**c,d**). Recto (**a,c**) and verso (**b,d**). A centroid vector is calculated for each type of measured quantity and the angle θ between centroid vectors is related to Pearson coefficient by $r = \cos \theta$. For each PCA representation, the percentage variability explained (PVE) is displayed on each axis.